

Influence of Temporal Shapes of Femtosecond Laser Pulses on Photoemission from a Metal Surface

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I. Background

Background:

1. **Femtosecond laser pulse in various shapes** can be generated by techniques, such as mode-locking, chirped pulse amplification (CPA) and birefringent crystals for pulse stacking.
2. **Photoemission** from metallic nanoparticles induced by femtosecond laser field has many **potential applications**, including time-resolved photoemission electron microscopy, high frequency electromagnetic radiation generation, and high-speed nanoscale vacuum devices [1].
3. **Appropriate temporal shaping** of the optical pulses illuminating the photocathode can **minimize uncorrelated emittance growth** from photoemission electron guns due to space charge forces [2].

We investigate **photoemission** from an **Au** surface subjected to a **weak DC field** and a **femtosecond laser pulse in various shapes** using an exact **quantum model** [3-4]. Besides **laser intensity**, the interaction between **solid-state nanostructures** and **femtosecond laser pulses** is impacted by **temporal shapes**, **pulse lengths** (τ_p) and **phase** since they can modify the laser pulse spectrum [5].

II. Theoretical Formulation

Femtosecond laser

$$F(t) = F_1 E(t) \cos(\omega t + \phi), \quad (1)$$

where F_1 is the peak laser strength. ω is the angular frequency of the laser carrier and ϕ is the carrier envelop phase (CEP). $E(t)$ stands for the carrier envelops, as shown in Fig. 1, which includes **Gaussian** ($m = 1$), **super-Gaussian** (of different orders $m = 3, 5$, and 10) of Eq. 2a, **hyperbolic secant squared** (sech^2) of Eq. 2b, and **$\cos^2$** profiles of Eq. 2c,

$$E(t) = \exp\left[-\left(\frac{t}{\sigma}\right)^{2m}\right], \quad (2a)$$

$$E(t) = \text{sech}^2\left(\frac{t}{\sigma}\right), \quad (2b)$$

$$E(t) = \cos^2\left(\frac{\pi t}{2\tau_p}\right) [\mathcal{H}(t + \tau_p) - \mathcal{H}(t - \tau_p)], \quad (2c)$$

we define $-L \leq t \leq L$, where $T_{pulse} = 2L$ is the time period of the femtosecond laser pulse in a pulse train.

One-dimensional time-dependent Schrödinger equation near the metal-vacuum interface is [4],

$$i\hbar \frac{\partial \psi(x,t)}{\partial t} = -\frac{\hbar^2}{2m} \frac{\partial^2 \psi(x,t)}{\partial x^2} + \Phi(x,t) \psi(x,t), \quad (3)$$

$$\text{where } \Phi(x,t) = \begin{cases} 0, & x < 0 \\ E_F + W_{eff} - eF_0 x - eF(t)x, & x \geq 0 \end{cases}$$

Emission current density at electron initial energy ε can be obtained:

$$w(\varepsilon, x, t) = \frac{J_t}{J_i}, \quad (4)$$

where $J = \frac{i\hbar}{2m} (\psi \nabla \psi^* - \psi^* \nabla \psi)$, J_t is probable transmitted current density and J_i is probable incident current density.

The total emission current density across one pulse from an initial energy level ε ,

$$D(\varepsilon) = \frac{2L}{\tau_p} \sum_{n=-\infty}^{\infty} w_n(\varepsilon), \quad (5)$$

where $w_n(\varepsilon)$ denotes the time-averaged **current density** (i.e. electron transmission probability) through the n -photon process.

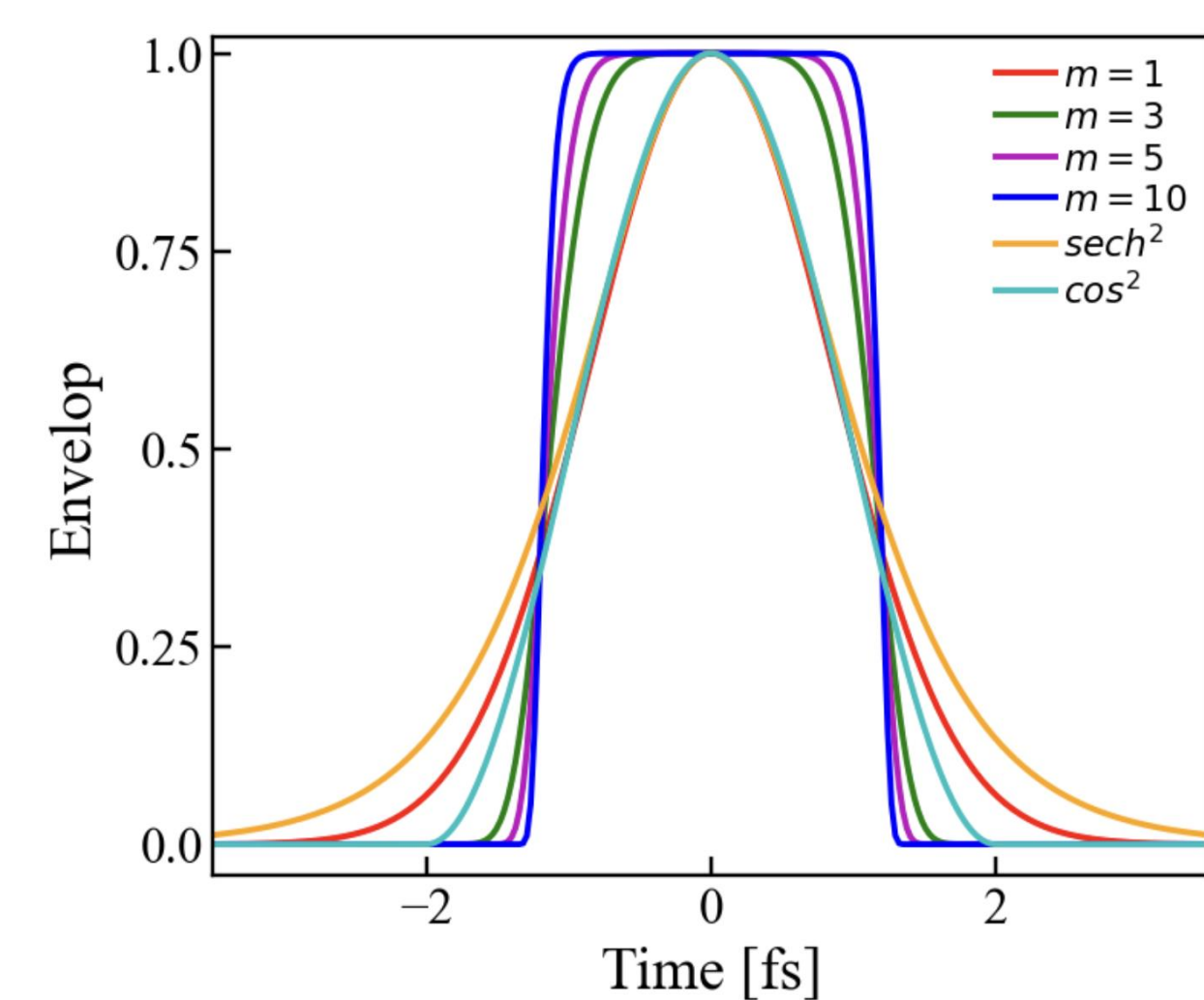


Fig.1 Carrier envelop of $E(t)$

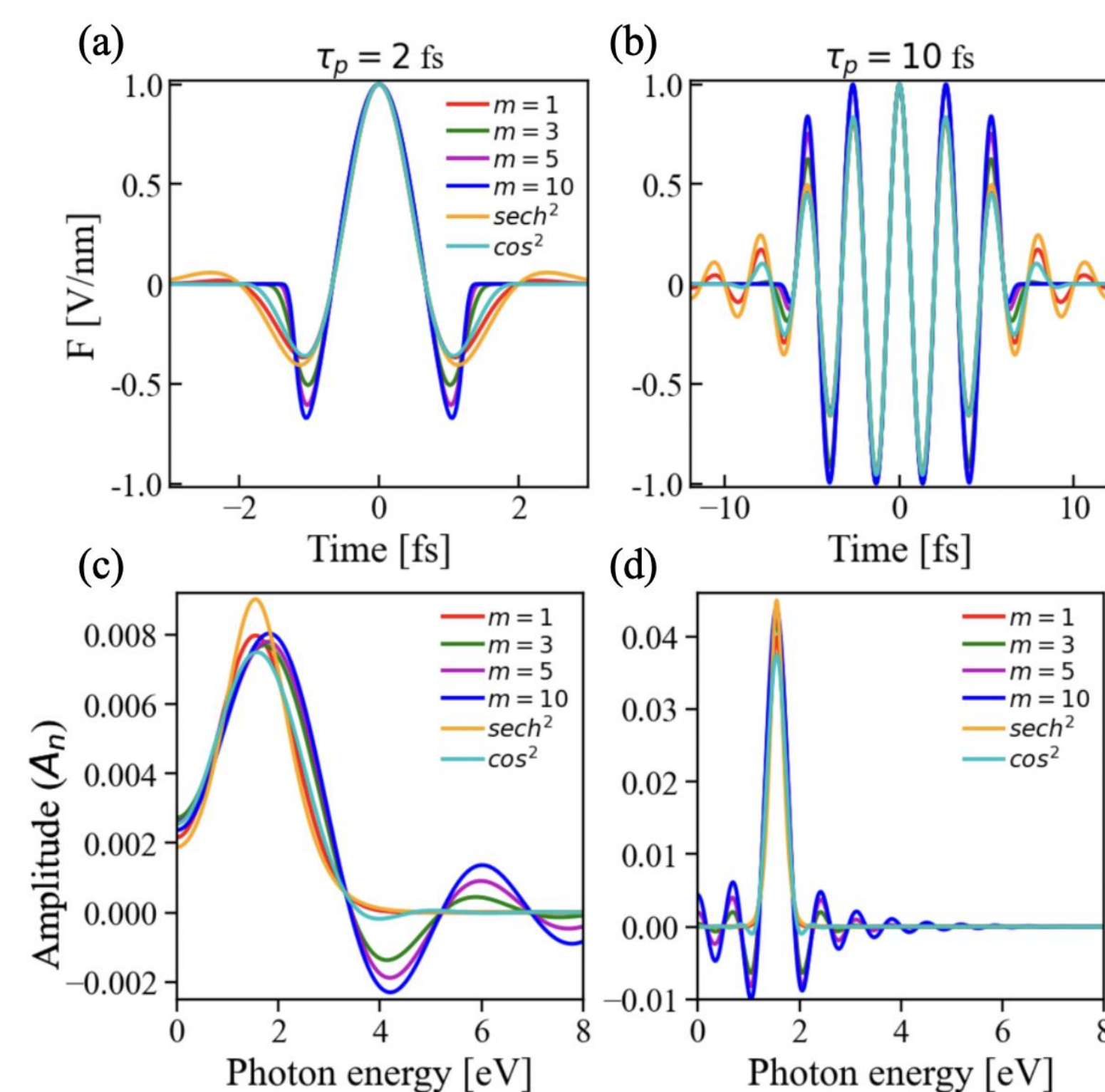
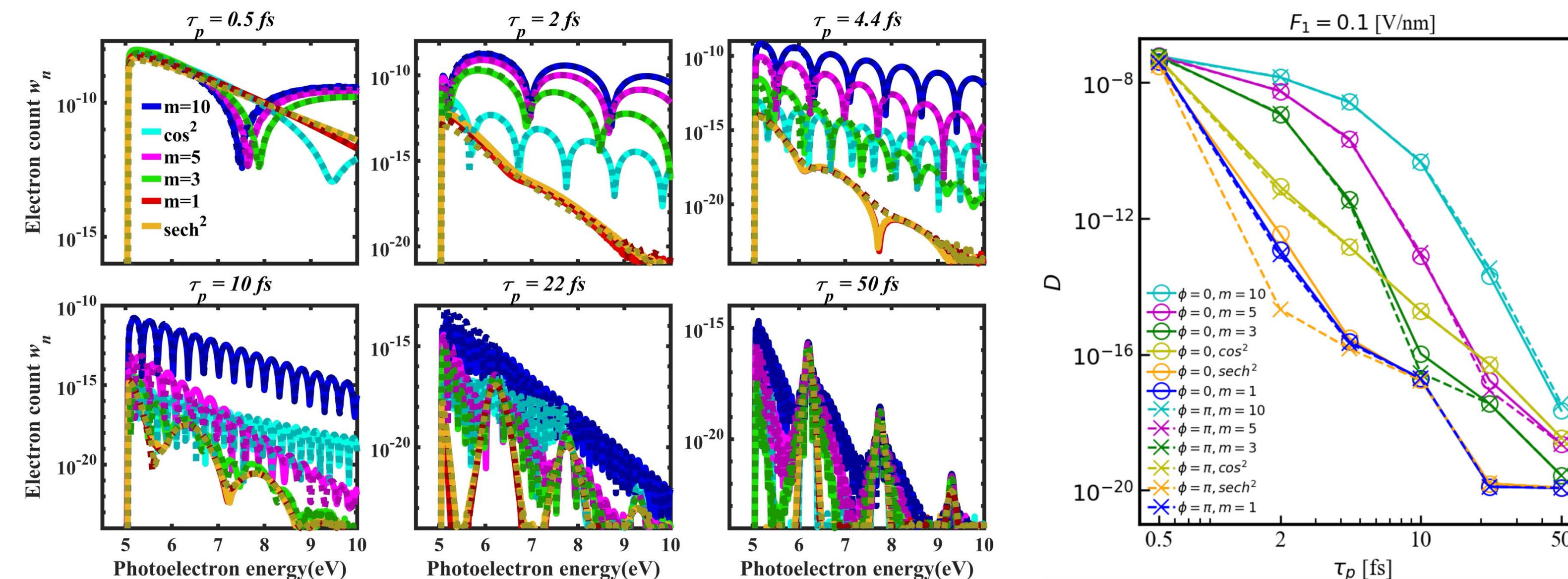


Fig.2 Femtosecond laser field and corresponding frequency spectra

A_n is the Fourier series coefficient (cosine form) of the periodic function derived from Eq. (1).

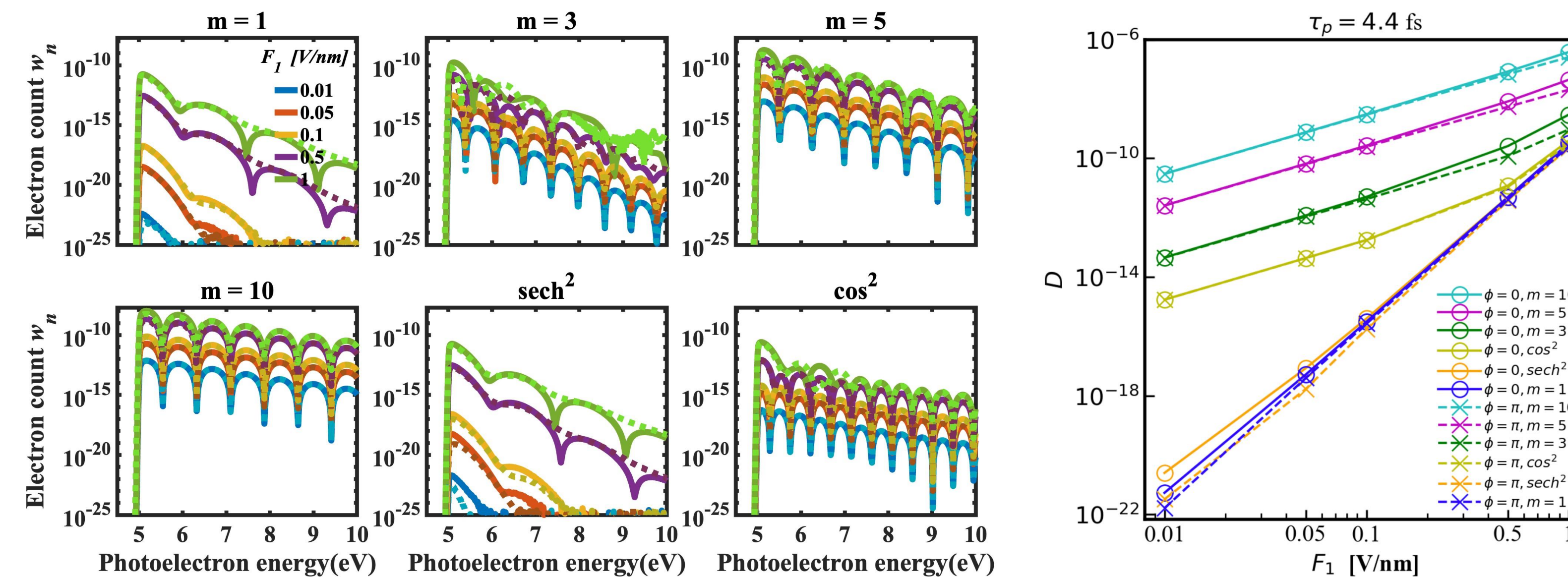
III. Results

Emission current density through n th channel for various pulse duration τ_p



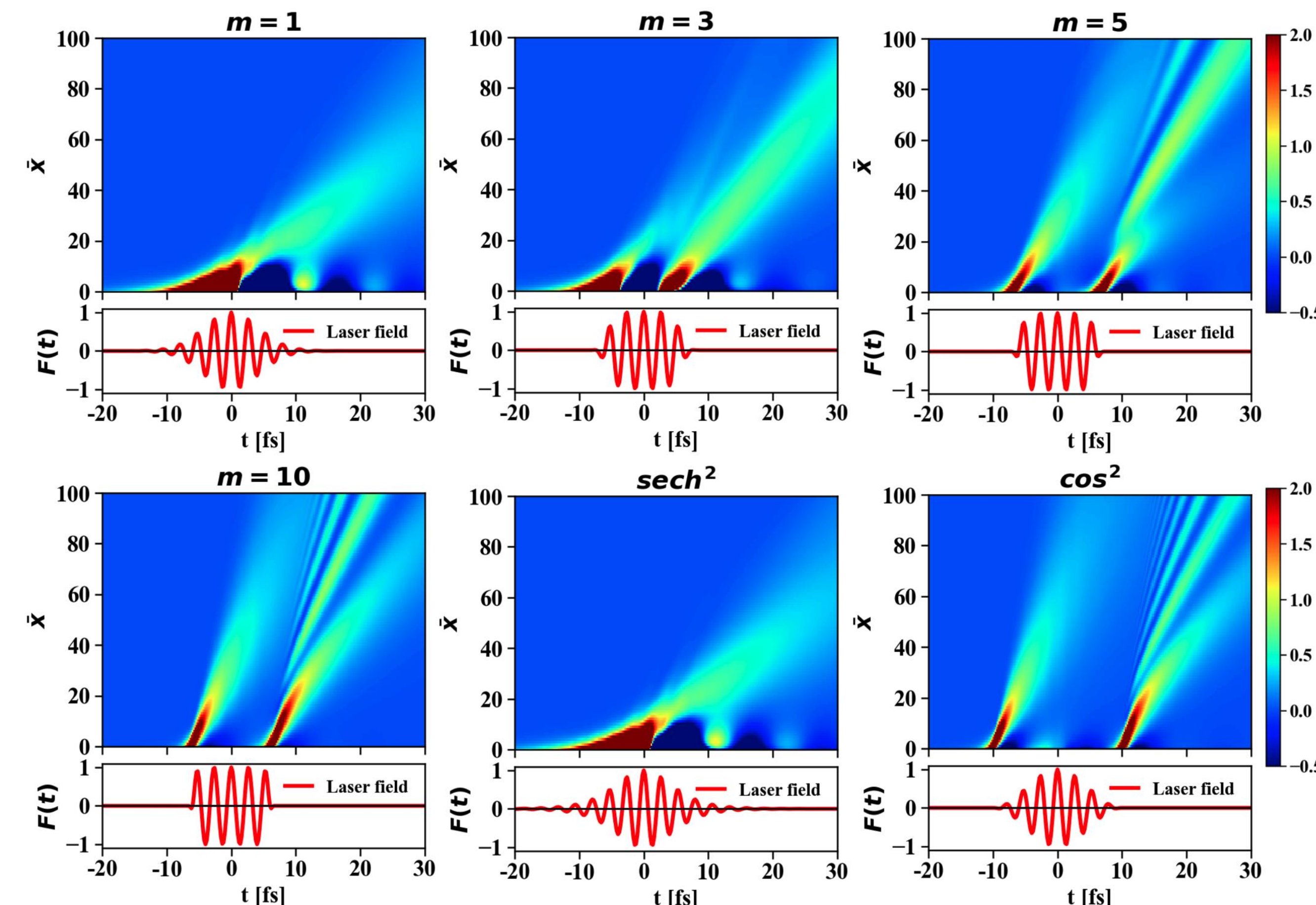
- DC field $F_0 = 0.001$ V/nm

Emission current density through n th channel for various peak laser strength F_1



- DC field $F_0 = 0.005$ V/nm
- Right figure: aF_1^b fitting from $F_1 = 0.01$ to 0.5 V/nm (not shown)
 $\phi = 0$: $b=5.99$ ($m=1$), 2.44 ($m=3$), 2.12 ($m=5$), 2.05 ($m=10$), 2.61 ($\cos^2$), 5.85 (sech^2)
 $\phi = \pi$: $b=6.00$ ($m=1$), 2.07 ($m=3$), 1.92 ($m=5$), 1.96 ($m=10$), 2.55 ($\cos^2$), 6.18 (sech^2)

Time/space-dependent emission current density $w(\varepsilon, x, t) / \langle w \rangle$



- Pulse length $\tau_p = 10$ fs.
- Red line is the corresponding laser field for reference.

IV. Conclusion

1. The emission spectrum shape correlates with the laser frequency spectrum shape: shorter pulse lengths (broader spectra) produce broader emission spectra, while longer pulse lengths (narrower spectra) result in narrower emission spectra.
2. For very short pulse lengths with broad spectra that approaches the effective work function, differences in pulse shapes have little impact on the total emission current density.
3. For longer pulse lengths with narrower spectra, much smaller than the effective work function, the influence of pulse shape on electron emission decreases as pulse length increases.
4. With a fixed pulse length, the emission current induced by narrower spectra laser rises more rapidly than by broader spectra laser as the intensity increases.
5. The effect of the CEP is influenced by both pulse length and laser intensity. The laser intensity required to observe CEP effects on emission current is lower for narrower spectra laser than for wider spectra laser.
6. The spatiotemporal emission current density is different for various femtosecond pulse profiles.

References

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